

New measurements of pulsar braking indices (obtained via phase-coherent timing)

Collaborators:

Vicky Kaspi (McGill)

Fotis Gavriil (GSFC)

Richard Manchester (ATNF)

Eric Gotthelf (Columbia)

Lucien Kuiper (Netherlands
Institute for Space Research)

Maggie Livingstone, April 27 2006

Outline

- Pulsar spin-down and the braking index
- How to measure a braking index
- PSR J1846-0258
- PSR B1509-58
- PSR B0540-69
- Other measurements of n
- Possible physical explanations of $n < 3$

Pulsar Spin-down

- In general, pulsar spin-down is assumed to be of the form:

$$\dot{\nu} = -K\nu^n$$

- Then the braking index, n , is given by:

$$n = \nu\ddot{\nu} / \dot{\nu}^2$$

The braking index:

Some simple physical expectations

- The braking index tells us something about the physics causing the spin down of the pulsar
- $n=3$: Only magnetic dipole radiation
- $n=1$: Only pulsar wind
- $n=5$: Magnetic or gravitational quadrupole radiation

$$\dot{\nu} = -K\nu^n$$

How to measure n ?

A recipe

1. Find a pulsar that:
 1. Spins down quickly
 2. Experiences few, small, infrequent glitches
 3. Has low-level timing noise







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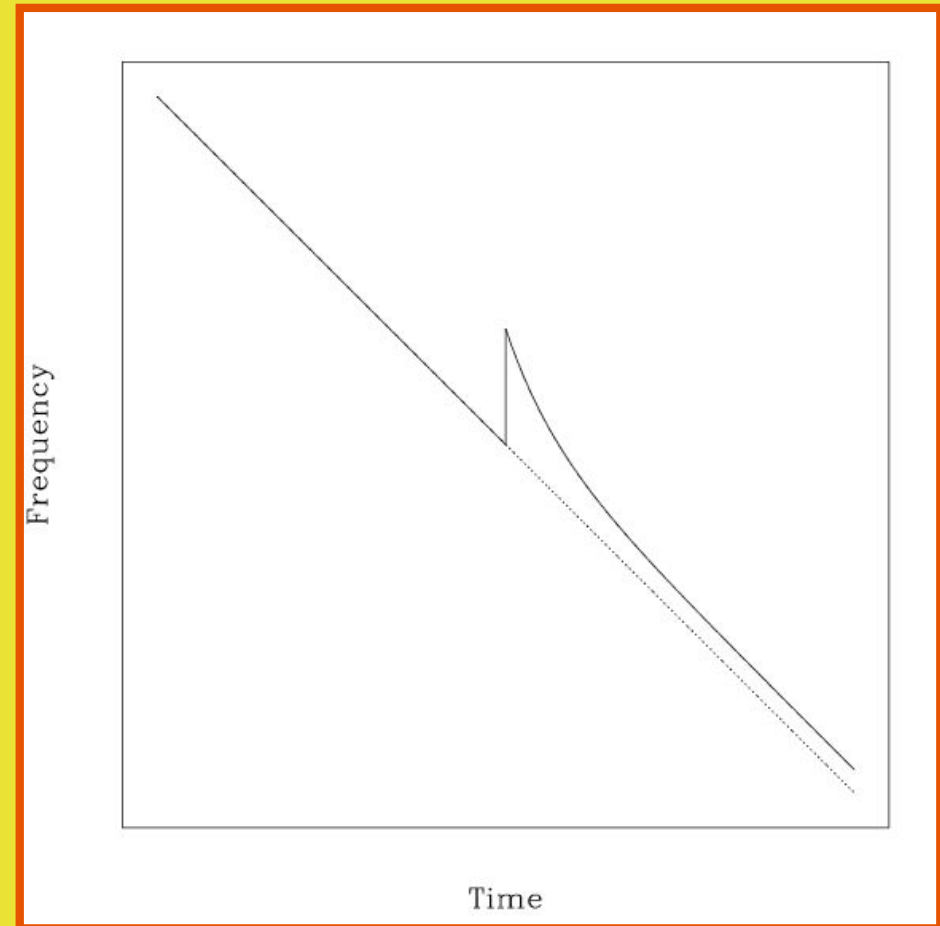
---> **Very young pulsar!**

Young Pulsars

Pulsar	P (ms)	\dot{P} (10^{-12} s/s)	τ_c
 J1846-0258	324	7.1	723
 Crab	33	0.42	1240
 B1509-58	150	1.5	1550
 J1119-6127	408	4.0	1610
 B0540-69	50	0.48	1670
J1124-5916	135	0.75	2870
J1930+1852	137	0.75	2890
J0537-6910	16	0.05	4900
J0205+6449	66	0.19	5370
 Vela	89	0.13	11000

Glitches

- Sudden spin-up of the pulsar
- Often a change in $\dot{\nu}$
- $\Delta\nu/\nu \sim 10^{-9} - 10^{-6}$
- $\tau_c \geq 5$ kyr: glitches typically larger
- The fewer (and smaller) the better for measuring n



Timing Noise

- Low-frequency stochastic process superimposed on deterministic spin-down
- Correlated with frequency derivative
- Of unknown origin:
 - Magnetospheric current fluctuations
 - Free precession
 - Gravitational torques
 - Random pinning & unpinning of superfluid vortices

How to measure n ?

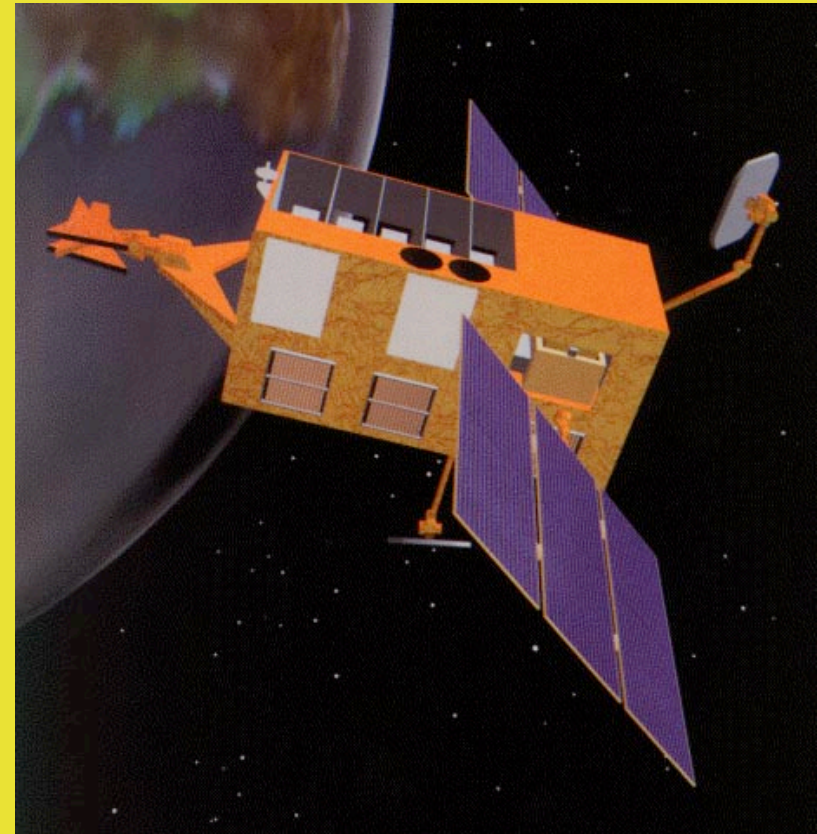
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2. Let simmer for several years: Regular timing observations with RXTE, Parkes, etc.

4. Rossi X-ray Timing Explorer

- Indispensable for timing young pulsars
- Many young pulsars best (or only) viewed in X-rays: e.g. PSR B0540-69, PSR J1846-0258, 3C 58, G11
- Proportional Counter Array
- 1 degree field of view
- 2-60 keV energy range
- $\sim 100\mu\text{s}$ absolute time resolution



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3. Phase-coherent timing

Phase-coherent Timing

- Measure pulse Times Of Arrival (TOAs)
- Taylor expansion of pulse phase
- Account for each turn of pulsar

$$\phi(t) = \phi(t_0) + \nu_0(t - t_0) + \frac{1}{2}\dot{\nu}_0(t - t_0)^2 + \frac{1}{6}\ddot{\nu}_0(t - t_0)^3 + \dots$$

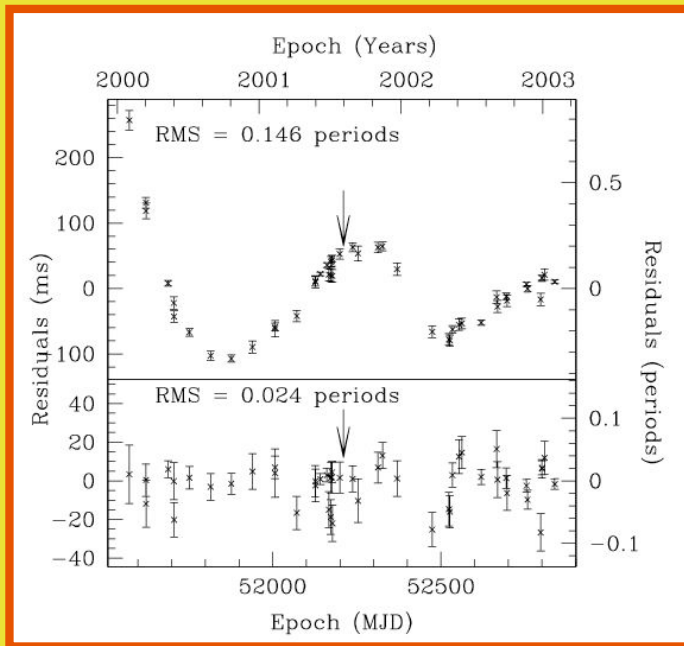
- Input: TOAs + initial spin parameters
- Output: Refined parameters + timing residuals
- Glitches can also be modelled

PSR J1846-0258

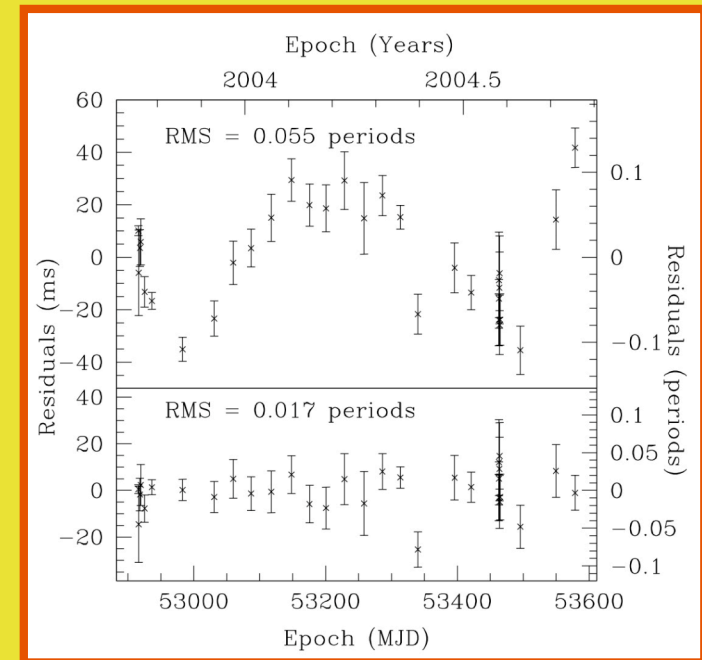
- Discovered in 1999 with *RXTE* (Gotthelf et al 2000)
- Located at the center of SNR Kes 75
- $P=324$ ms
- $\tau_c = P / 2\dot{P} = 723$ yr
- $B \sim 5 \times 10^{13}$ G
- Very similar to PSR J1119-6127: will n be similar as well?

Phase-coherent timing solutions

- Two timing solutions span 5.5 yr
- Phase lost over an 80 day gap:



Glitch?
Timing
noise?



Reason for phase loss ambiguous!

First timing solution

- Glitch near MJD 52210
- Glitch parameters:

- $\Delta\nu/\nu = 2.5(2) \times 10^{-9}$

- $\Delta\dot{\nu}/\dot{\nu} \sim 9.3(1) \times 10^{-4}$

- Spin Parameters:

$$\nu = 3.0782148166(9)s^{-1}$$

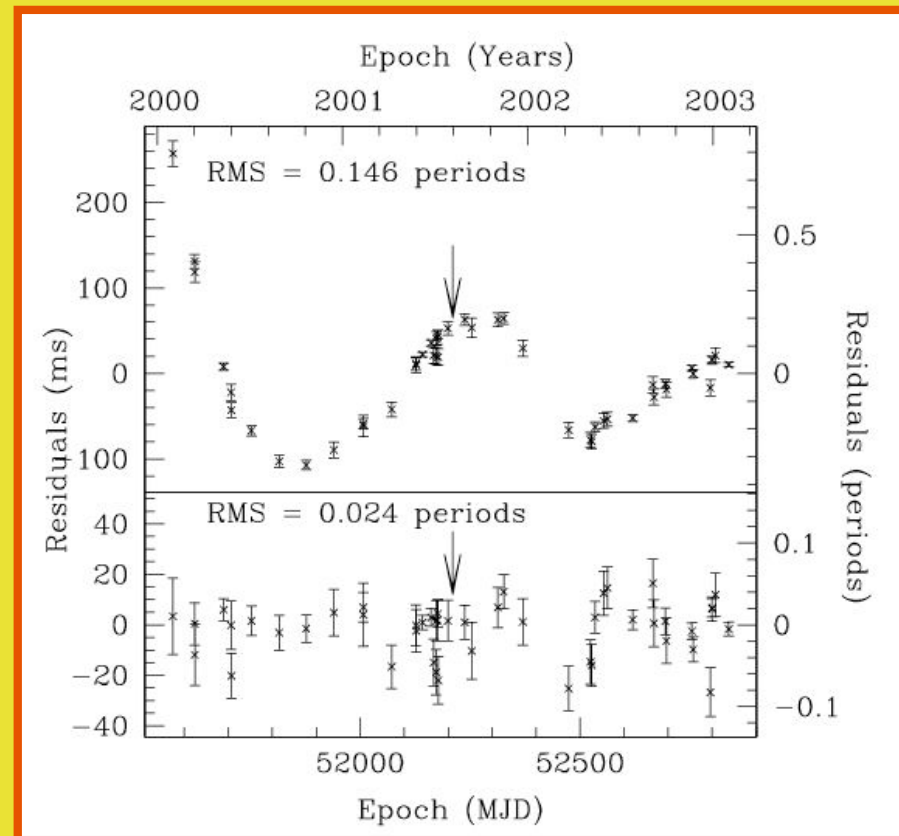
$$\dot{\nu} = -6.71563(1) \times 10^{-11} s^{-2}$$

$$\ddot{\nu} = 3.87(2) \times 10^{-21} s^{-3}$$

- $n = 2.64 \pm 0.01$

- 8 frequency derivatives needed to ‘whiten’ residuals:
timing noise, possibly unmodelled glitch recovery

Timing residuals for 3.5 yr



Second timing solution

- No glitches detected
- Spin parameters:

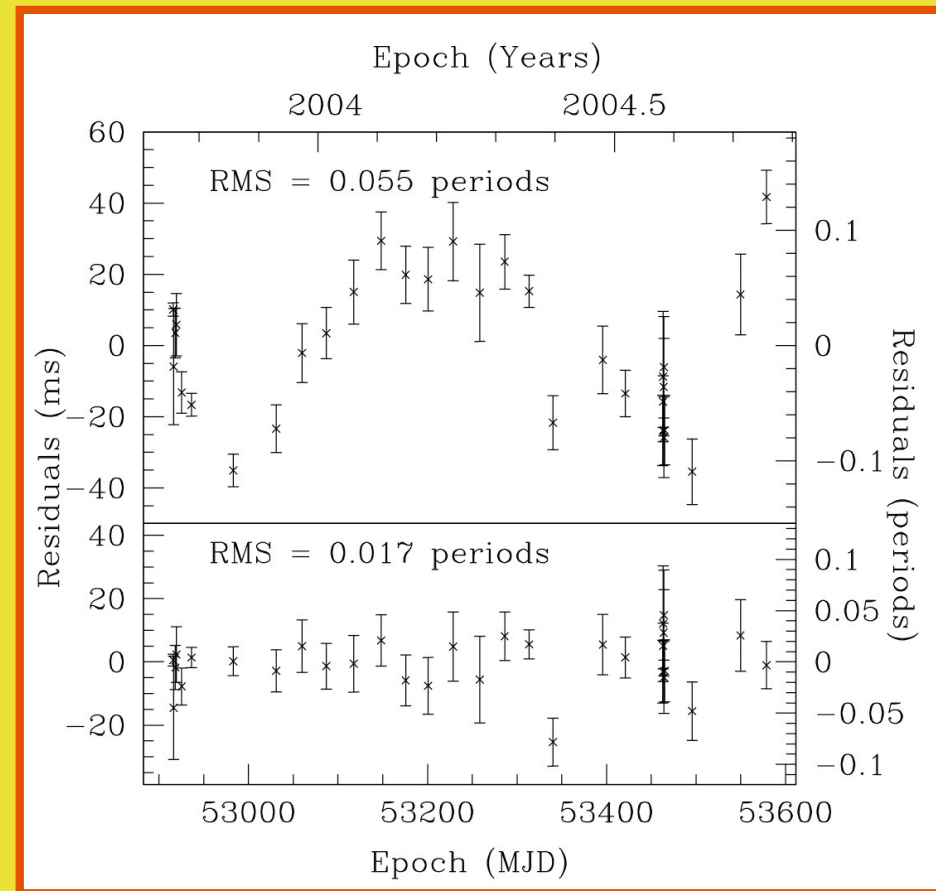
$$\nu = 3.070458592(1)s^{-1}$$

$$\dot{\nu} = -6.67793(5) \times 10^{-11} s^{-2}$$

$$\ddot{\nu} = 3.89(4) \times 10^{-21} s^{-3}$$

- $n=2.68 \pm 0.03$
- 5 frequency derivatives fitted to remove timing noise, possibly glitch recovery

Timing residuals for 1.8 years



The braking index of PSR J1846-0258

- Two independent, phase-coherent timing solutions in agreement
- Average braking index from both phase-coherent timing solutions:

$$n = 2.65 \pm 0.01$$

Implications of n measurement

- For $n=2.65$, age estimate is larger:

$$\tau \leq -\frac{1}{n-1} \frac{\nu}{\dot{\nu}} \lesssim 884 \text{ yr}$$

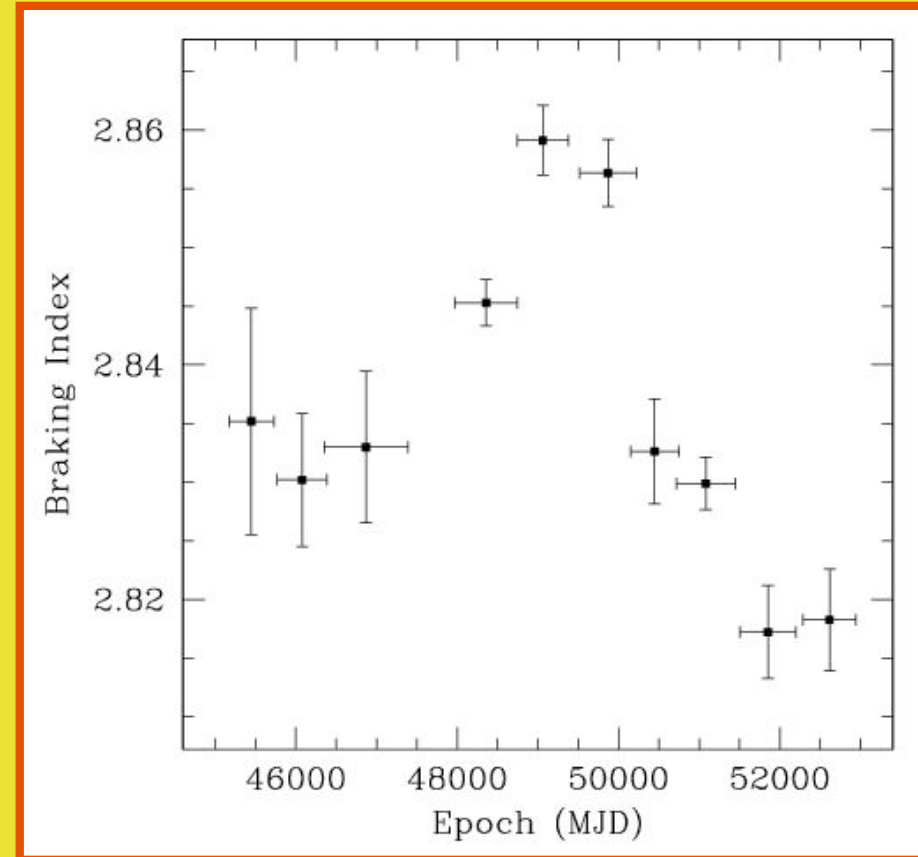
- Estimate still smaller than the Crab pulsar
- Dipole magnetic field overestimated - perhaps *not* magnetar strength?
- PSR J1119-6127 $\rightarrow n=2.91 \pm 0.05$

PSR B1509-58

- Estimated age ~ 1700 yr
- $P=150\text{ms}$, $B=1.5 \times 10^{13}\text{G}$
- 21.3 yr radio timing data (Molonglo, Parkes), 7.5 yr *RXTE* data
- **No glitches!**
- $n=2.839 \pm 0.003$

Braking Index Variations

- Variations in n :
 - PSR B1509-58 $\sim 1.5\%$
 - Kes 75 $\sim 5\%$
 - Crab pulsar $\sim 5\%$
- Likely due to timing noise, glitch recovery



Measurements of n for PSR B1509-58 over 21 years

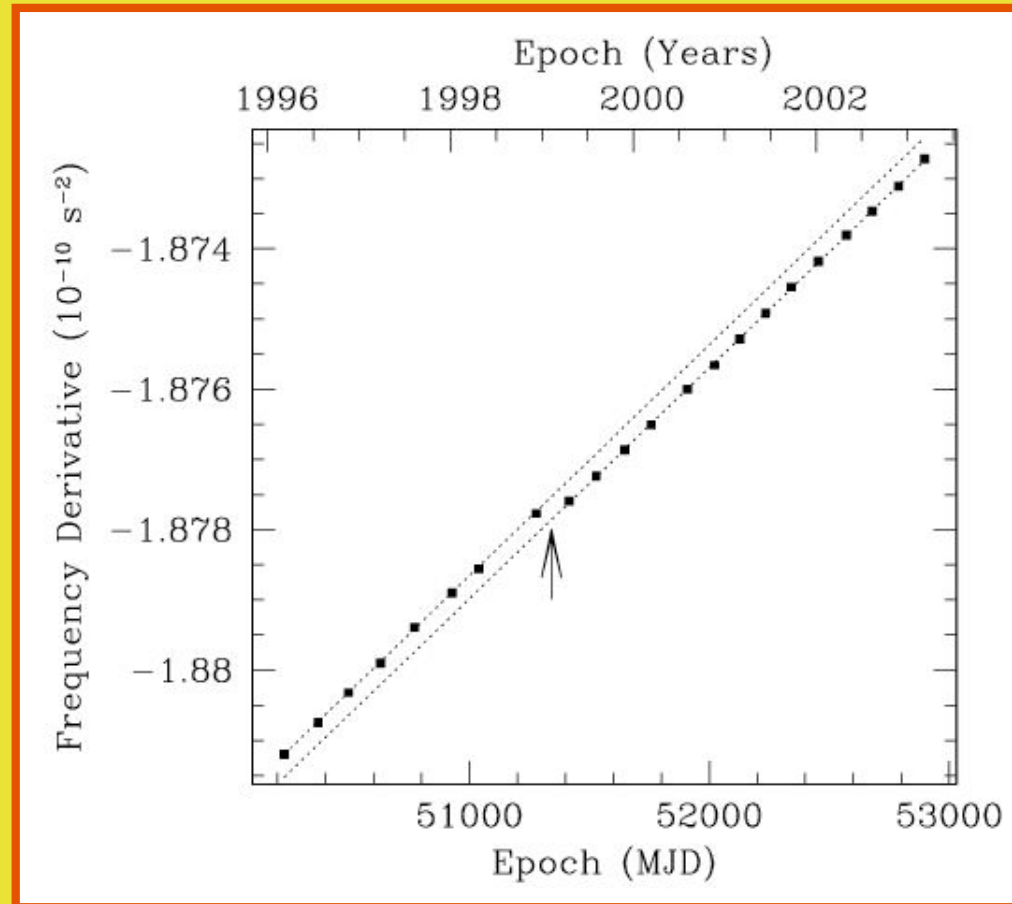
PSR B0540-69

- ‘Crab Twin’ pulsar
- $P=50\text{ms}$, $B\sim 5\times 10^{12}\text{G}$
- Many conflicting values of n in literature
- 7.6 yr RXTE data
- Small glitch:

$$\Delta\nu/\nu \sim 1.4 \times 10^{-9}$$

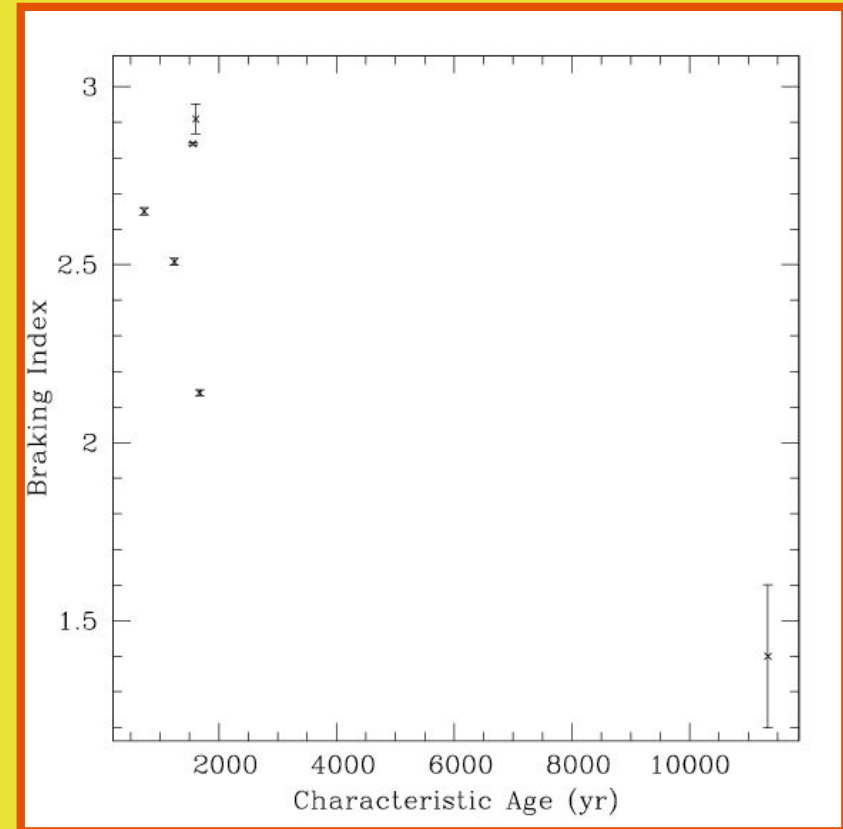
$$\Delta\dot{\nu}/\dot{\nu} \sim 1.33 \times 10^{-4}$$

- $n=2.140\pm 0.009$



All n less than 3

- All 6 pulsars with measured braking indices have significant measurements of $n < 3$
- Large scatter in observed values of n
- Assumption of $n=3$ used in estimation of B and τ



In addition to magnetic dipole radiation, another physical process must contribute to the torque acting on (young) pulsars!

Possible Physical Explanations for $n < 3$

- Growth or counter-alignment of B (e.g. Blandford & Romani 1988)
- Propeller effect due to a fallback disk (e.g. Alpar 2001)
- Particle outflow: Kinetic energy flow dominates over Poynting flux
- Misaligned dipole + plasma (e.g. Contopoulos & Spitkovsky 2005)
- *Unfortunately, none of these provide predictions for n*

Rotating magnet of variable size

(Melatos 1997)

- Postulate: inner magnetosphere of $R_{NS} \ll R_v \sim R_{LC}$
- Inner magnetosphere corotates rigidly with NS
- Model predicts: $2 < n < 3$ and $n \rightarrow 3$ as the pulsar ages.
- Predicts n given v , \dot{v} , α
- Roughly agrees with n for PSR B1509-58, PSR B0540-69, Crab
- PSR J1119-6127: α not well determined (Crawford 2001)
- Does not agree with n for Vela
- **For PSR J1846-0258, $n=2.65 \pm 0.01$, predict $\alpha=8.1-9.6^\circ$**

Summary

- PSR J1846-0258: $n=2.65\pm 0.01$, at least one glitch
- PSR B1509-58: $n=2.839\pm 0.003$, no glitches
- PSR B0540-69: $n=2.140\pm 0.009$, one small glitch detected
- All measured values are $n < 3$
- Large scatter exists among n
- Various explanations of why $n < 3$ exist, though none can explain all measurements AND provide predictions.