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Electron acceleration and turbulence in solar flares

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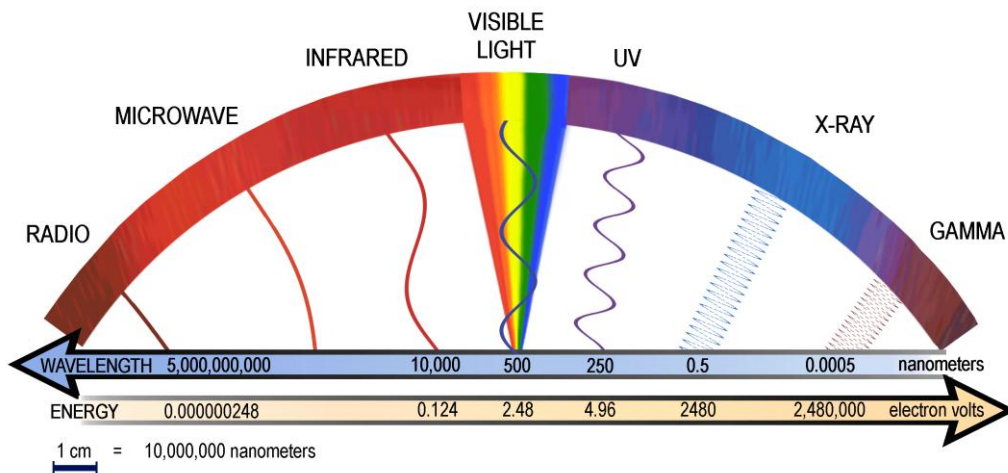
contributions from Iain Hannah, Nicolas Bian, Natasha Jeffrey

MSSL seminar

March 20, 2013

Solar flares are rapid localised brightening in the lower atmosphere.

More prominent in X-rays, UV/EUV and radio.... but can be seen from radio to 100 MeV



X-rays

radio waves

Particles 1AU

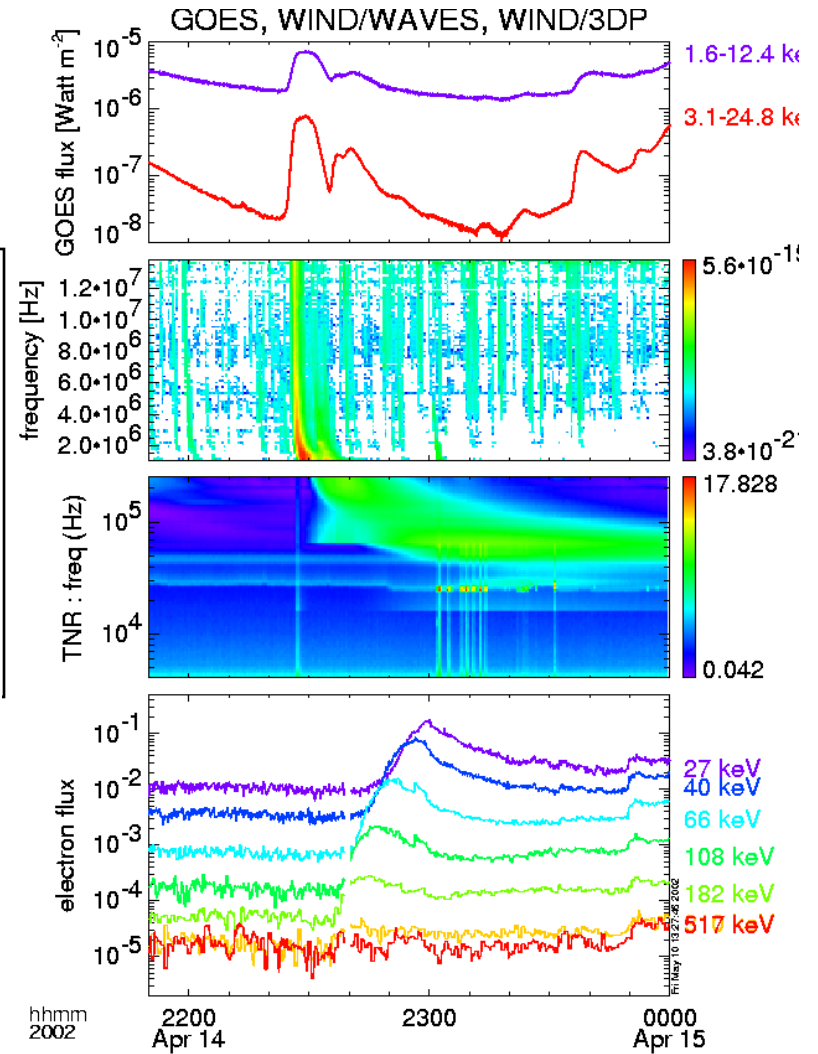


Figure from Krucker et al, 2007

Flare and Coronal Mass Ejection 23 July 2002

CME Energy
 10^{32} ergs

Thermal Plasma
 1×10^{31} ergs

Energetic Particles
 $< 10^{30}$ ergs

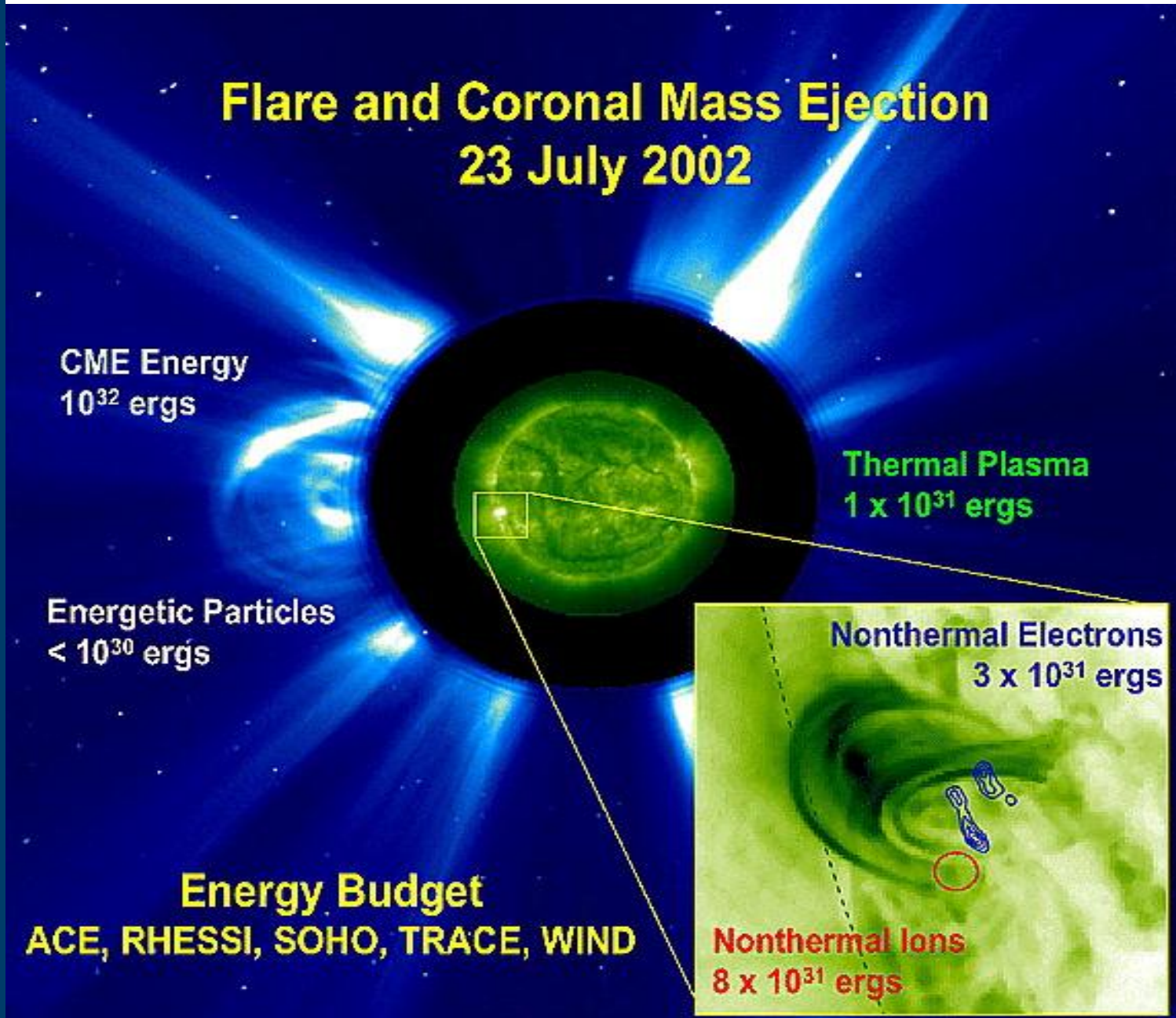
Nonthermal Electrons
 3×10^{31} ergs

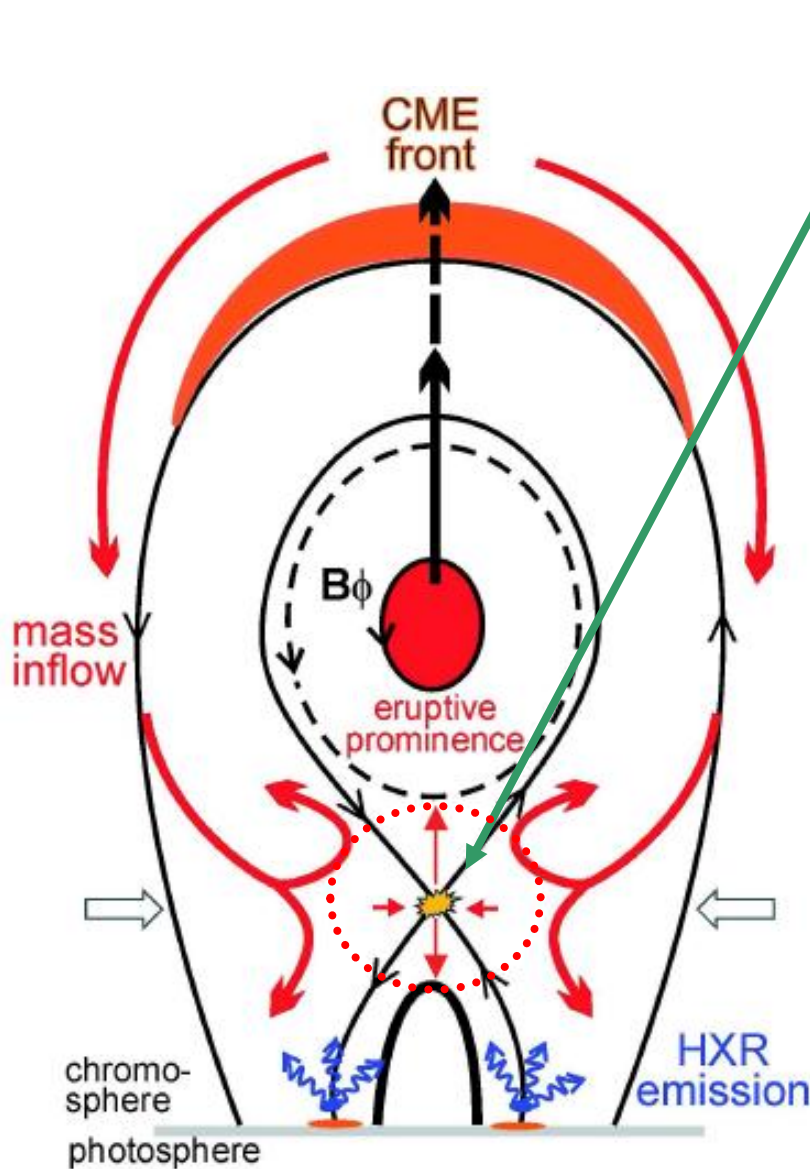
Energy Budget
ACE, RHESSI, SOHO, TRACE, WIND

Nonthermal Ions
 8×10^{31} ergs

From Emslie
et al., 2004,
2005

Free magnetic
energy
 $\sim 2 \times 10^{32}$ ergs





Energy release/acceleration

Solar corona $T \sim 10^6 \text{ K} \Rightarrow 0.1 \text{ keV per particle}$

Flaring region $T \sim 4 \times 10^7 \text{ K} \Rightarrow 3 \text{ keV per particle}$

Flare volume $10^{27} \text{ cm}^3 \Rightarrow (10^4 \text{ km})^3$

Plasma density 10^{10} cm^{-3}

Photons up to $> 100 \text{ MeV}$

Number of energetic electrons 10^{36} per second

Electron energies $> 10 \text{ MeV}$

Proton energies $> 100 \text{ MeV}$

Large solar flare releases about 10^{32} ergs (about half energy in energetic electrons)

1 megaton of TNT is equal to about 4×10^{22} ergs.

Figure from Temmer et al, 2009

Stochastic particle acceleration

Vast literature exists e.g. Miller et al, 1997; Petrosian 2012; Bian et al, 2012 Cargill et al, 2012 as reviews

⇒ Generally efficient electron and proton acceleration, He3 enhancement, variety and variability of particle spectra

Particle and energy transport

Pitch angle scattering of particles, reduced thermal conductivity, etc
=> Artificial injection of electrons often involved to explain strong radio sources at the loop-tops (e.g. Melnikov et al 2001, Lee et al, 2002)

Reconnection models

Anomalous resistivity is often required to make fast reconnection and strong parallel electric fields

see e.g. Priest and Forbes, 2002, Zharkova et al, 2012, Raymond et al, 2012 as recent reviews

Plasma turbulence is characterised by chaotic and stochastic property changes, e.g. velocity, density, magnetic field in space and time.

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strong parallel electric fields

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**MODELS WANT TURBULENCE
IN SOLAR FLARES !**

Plasma turbulence is characterised by chaotic and stochastic property changes, e.g. velocity, density, magnetic field in space and time.

Density fluctuations

observed via scintillation techniques (power-law spectrum of density fluctuations), normally in the higher corona and not in flares

Velocity fluctuations

e.g. non-thermal line broadening observed in flares, normally spatially unresolved, but now with Hinode/EIS – spatially resolved
Doschek et al, 1980, Harra et al, 2001...

Magnetic field fluctuations

Normally magnetic fields are not measured in flares...

One exception is the radio measurements of gyrosynchrotron emission in flaring loops.

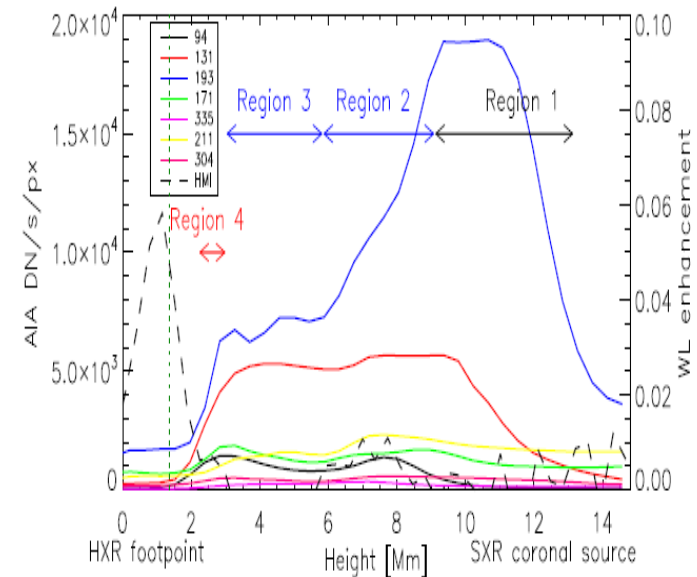
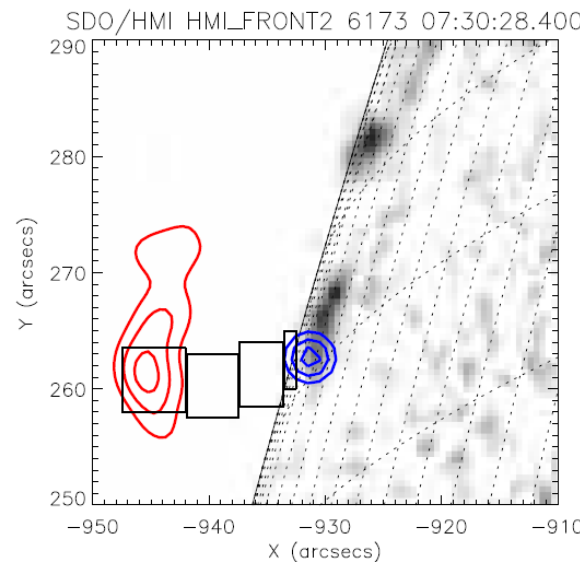
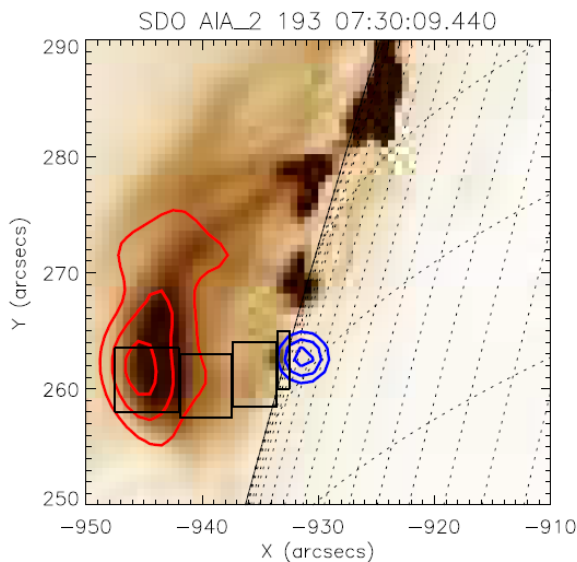
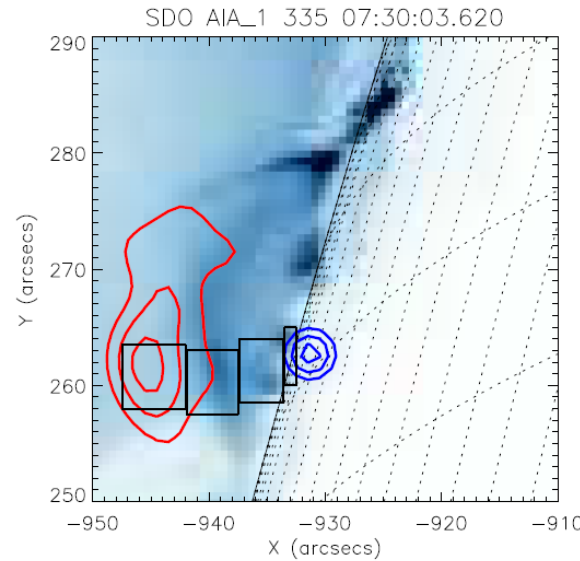
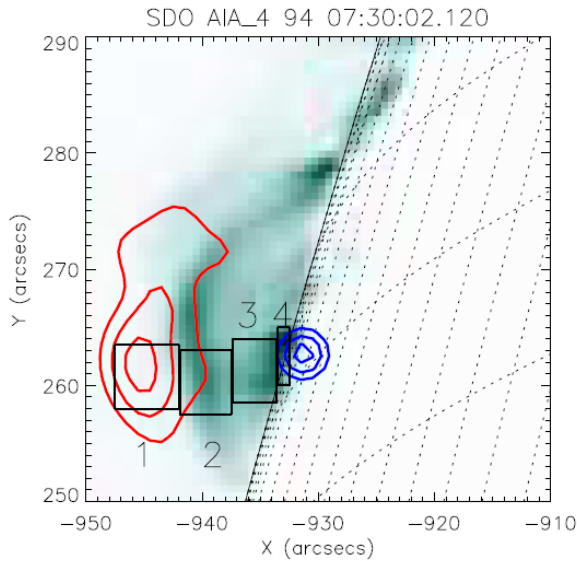
This talk...

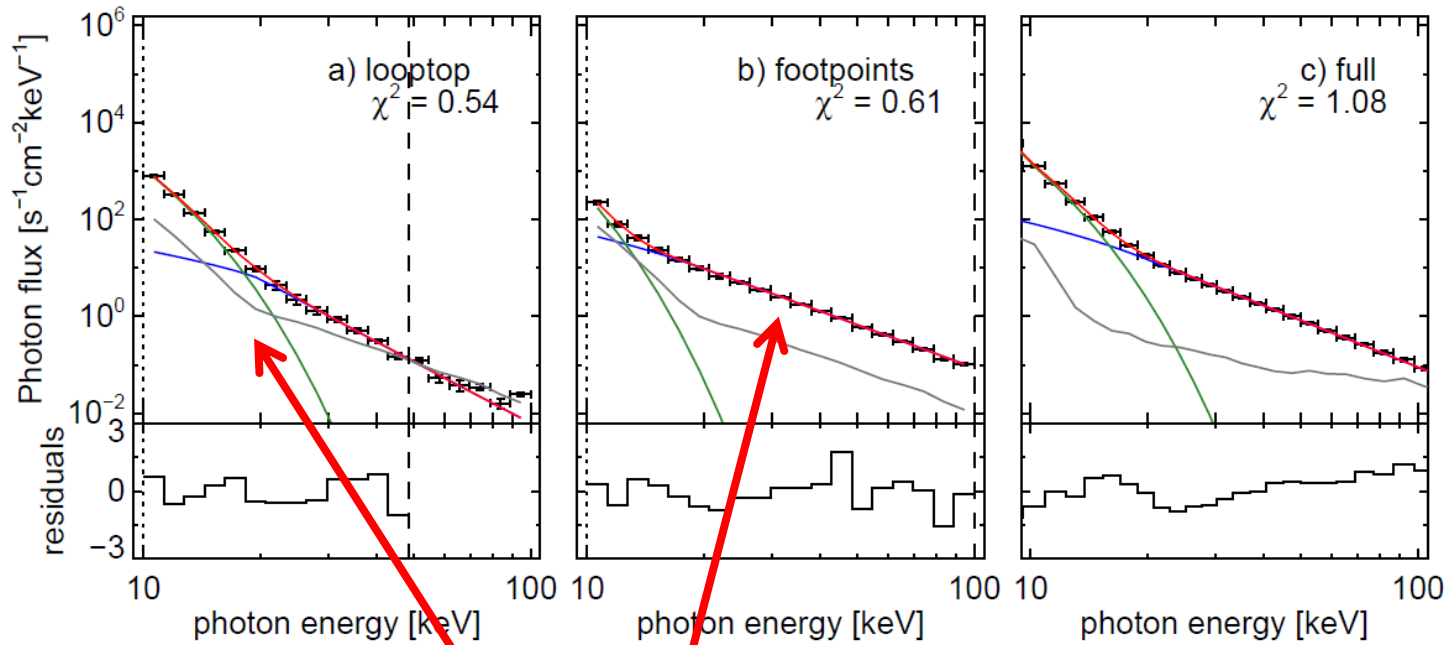


Typical solar flare: X-ray prospective

24 February, 2011 flare
(Battaglia & Kontar 2012)

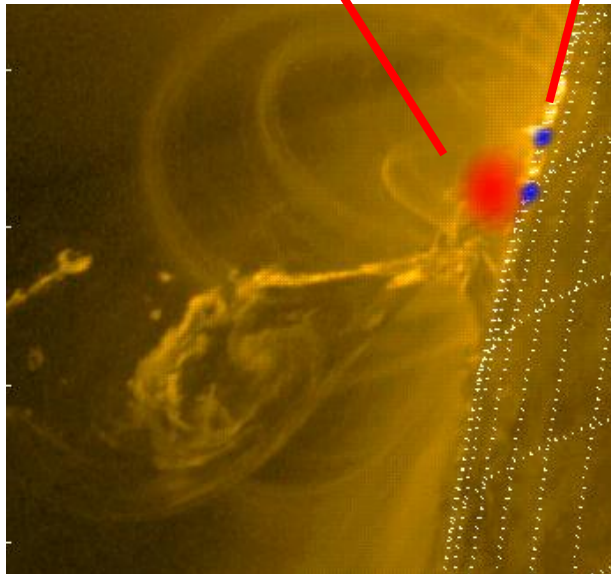
Well observed coronal Soft X-ray emission, clear foot-points and WL emission as a bonus.





Loop-top: Soft X-ray plus non-thermal component

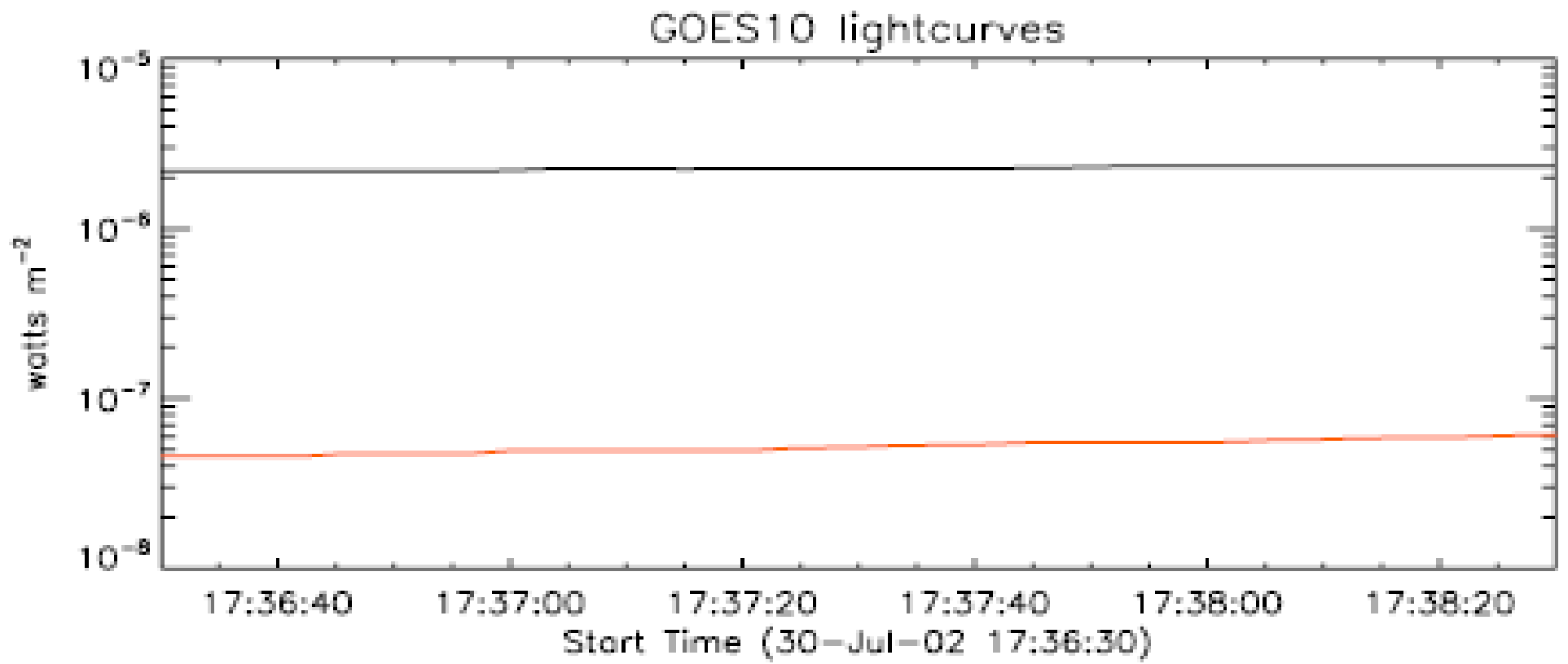
Footpoints: Hard X-ray non-thermal power-law



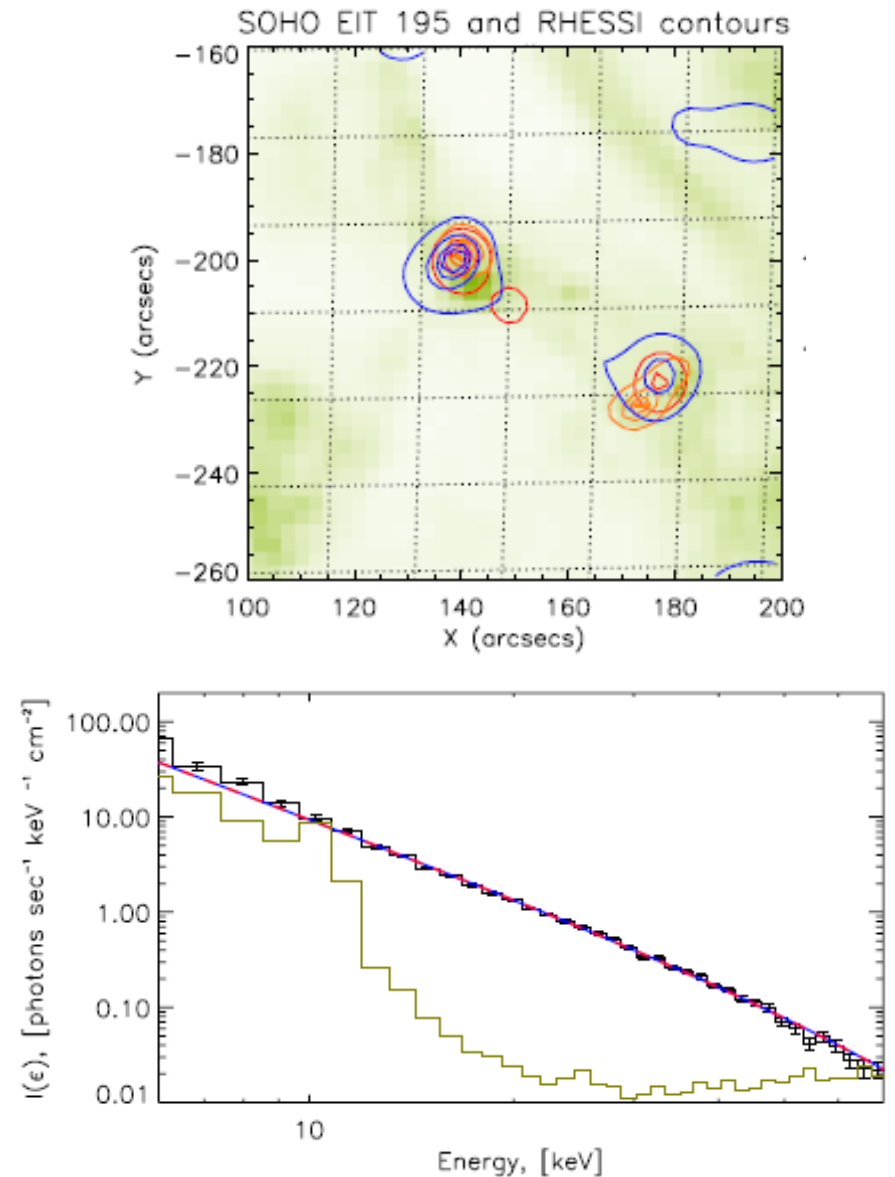
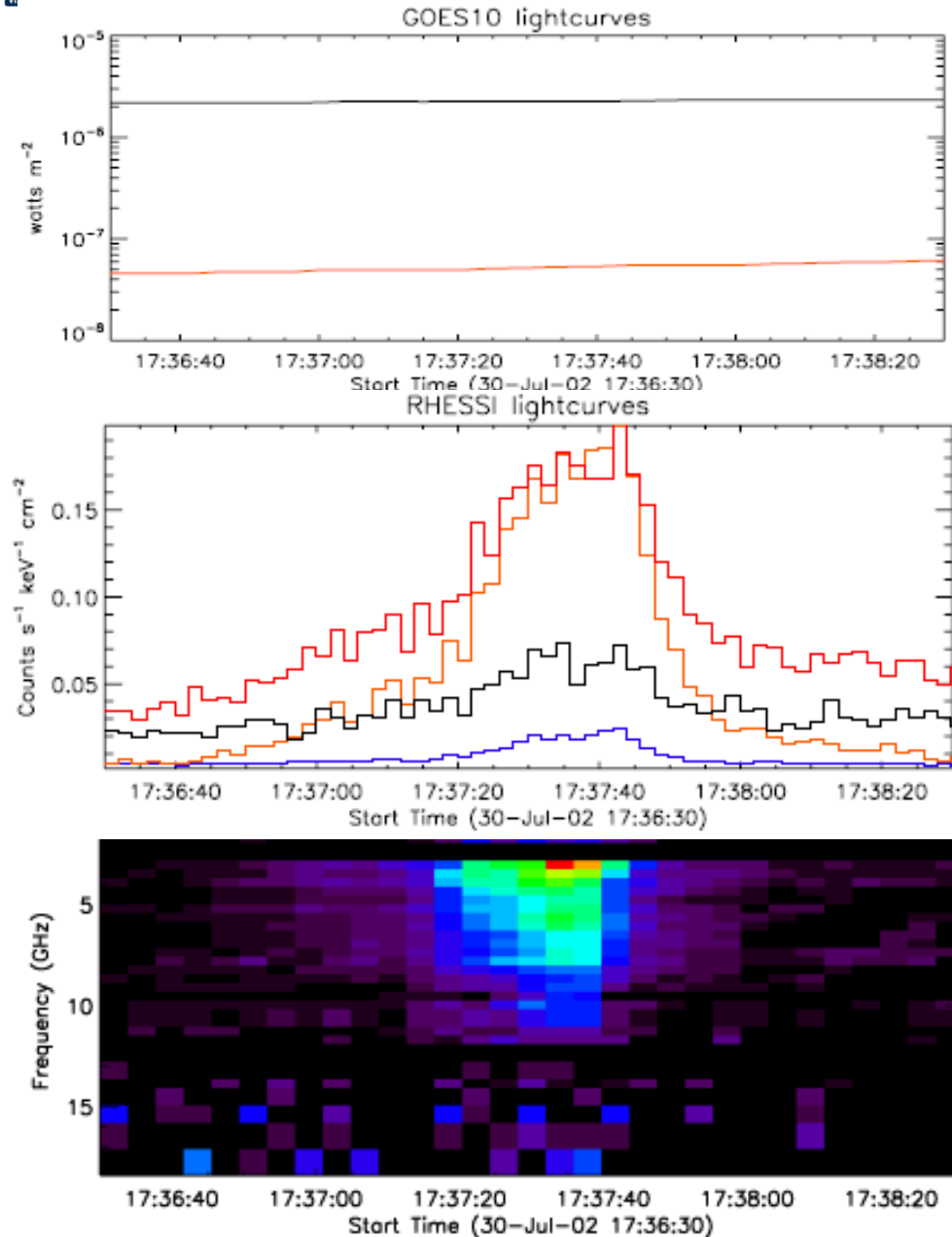
Simoes & Kontar, A&A, 2013

Using imaging spectroscopy, we can infer spectra and numbers of energetic electrons both in coronal and foot-points sources.

Above 30 keV, we have normally a few times electrons more in the LT than in FP source.
Possible trapping by waves or mirror?



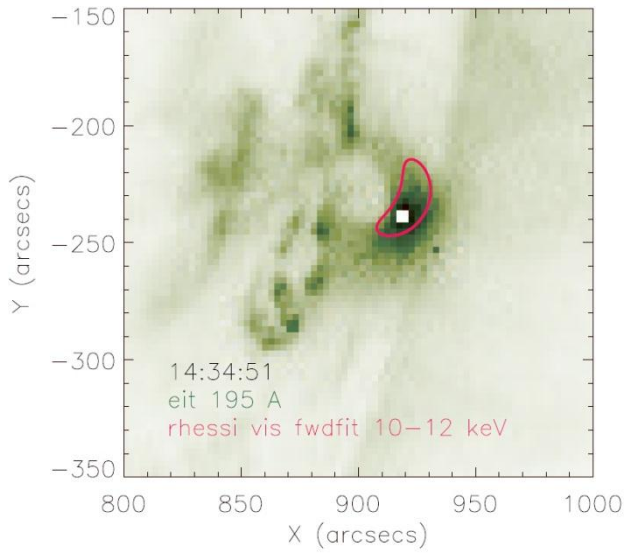
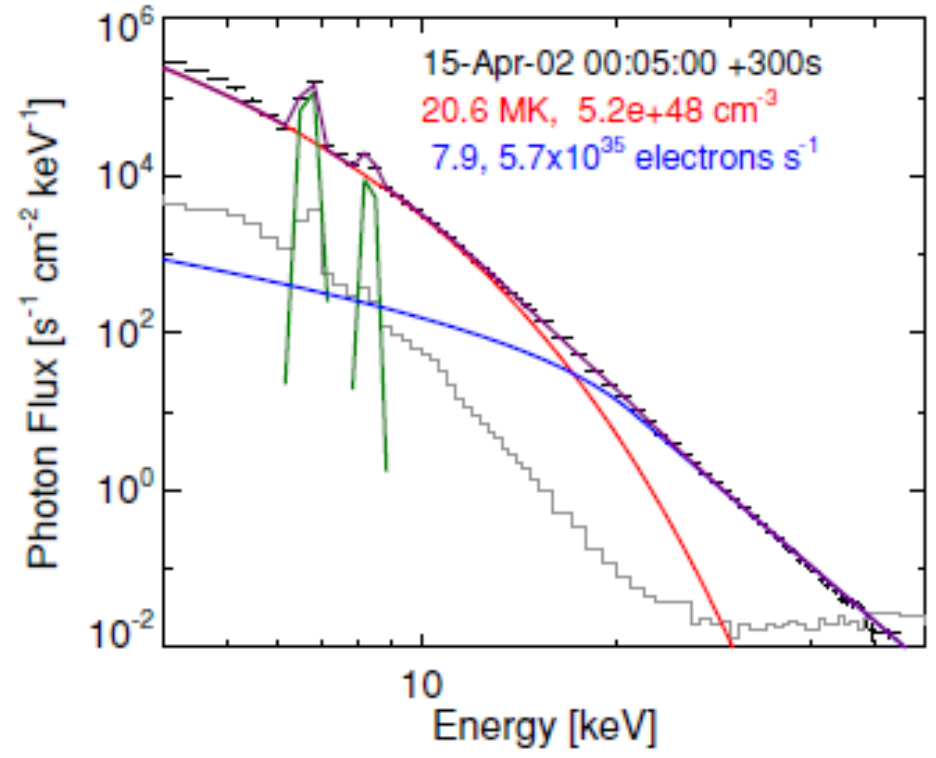
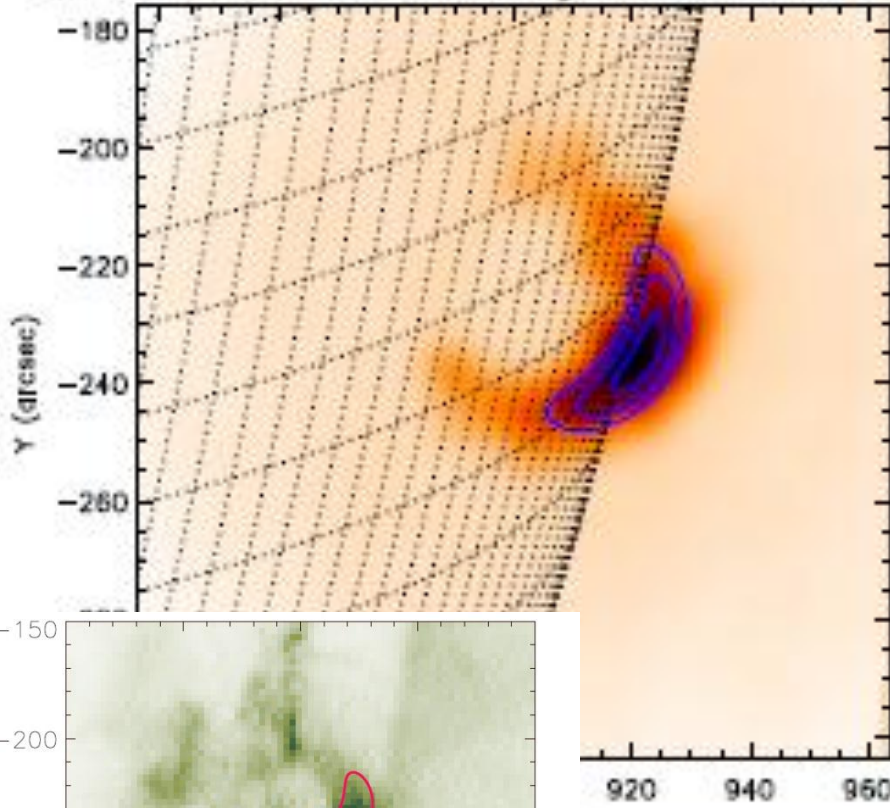
What is happening at the Sun ?





HXR flaring loops (no clear footpoints)

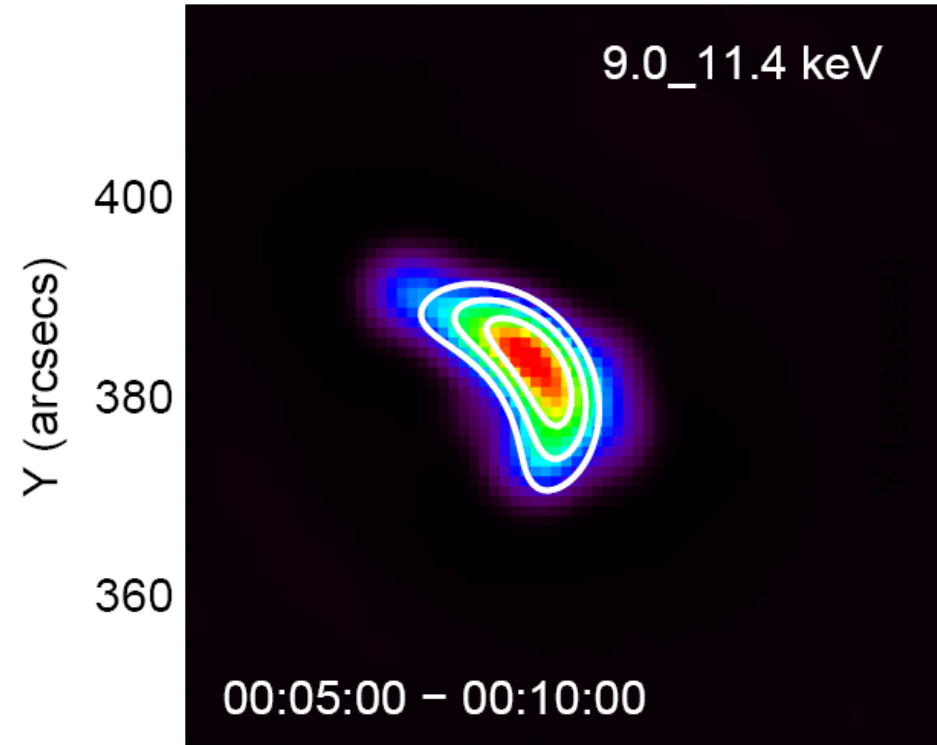
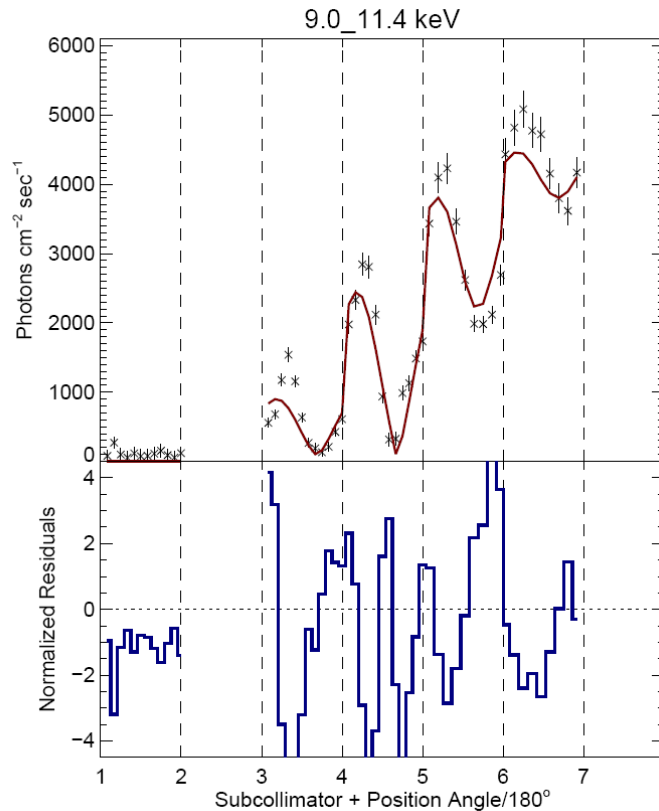
RHESSI 10.0–15.0 keV 23-Aug-2005 14:28:00.000 UT



Jeffrey & Kontar, 2013

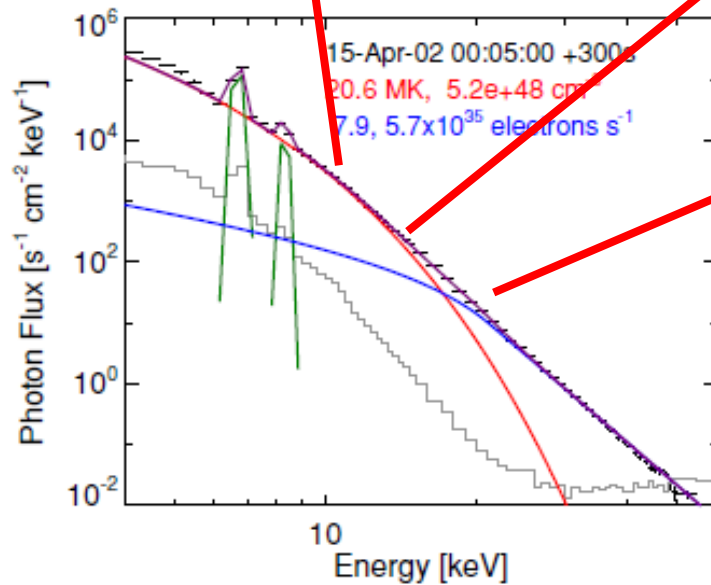
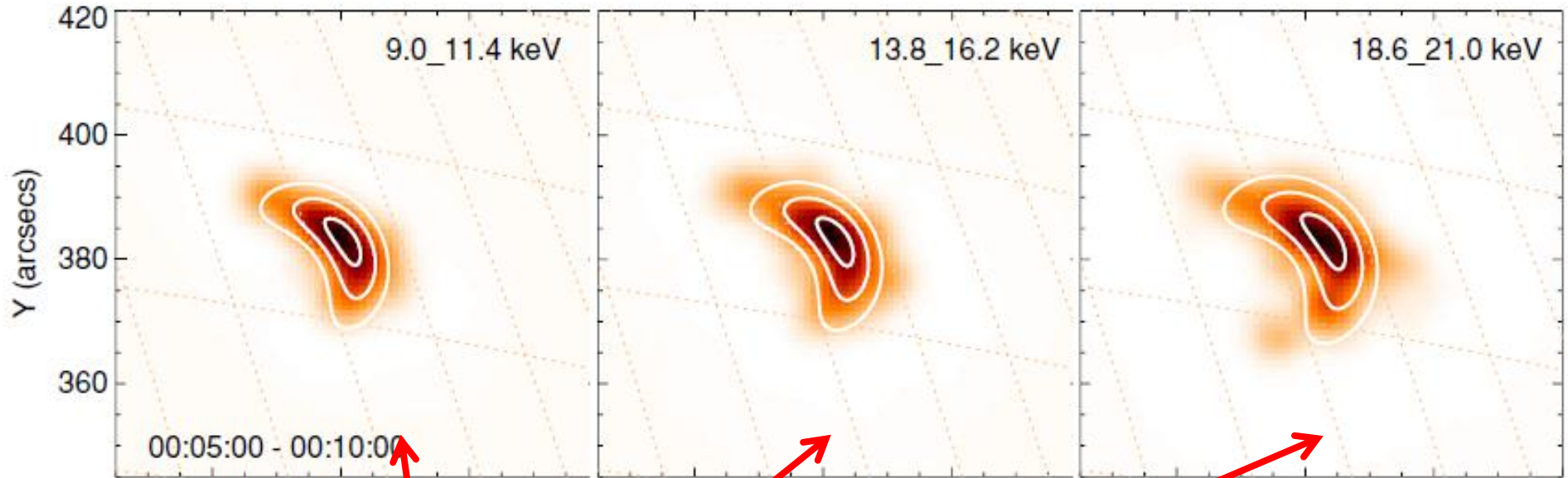
$$I(x, y; \epsilon) = I_0 \exp(-s^2/2\sigma^2) \exp(-t^2/2\tau^2),$$

$$V(u, v; \epsilon) = \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} I(x, y; \epsilon) \exp[2\pi i(ux + vy)] dx dy,$$



Fitting curved ellipse to visibilities

HXR flaring loops (no clear footpoints)

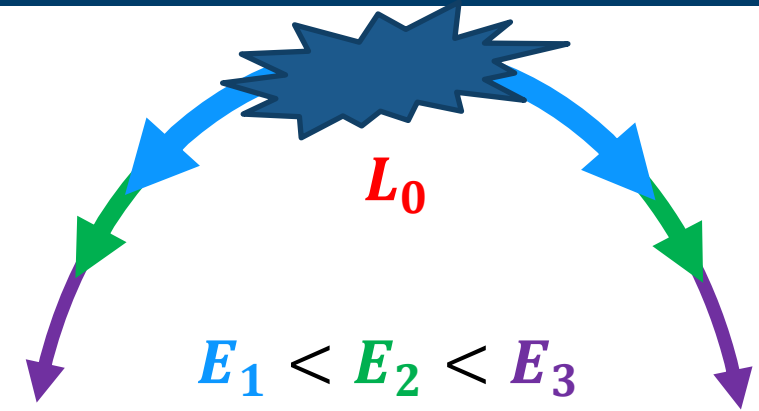


Loop length is growing with energy
e.g. Xu et al, Guo et al 2012

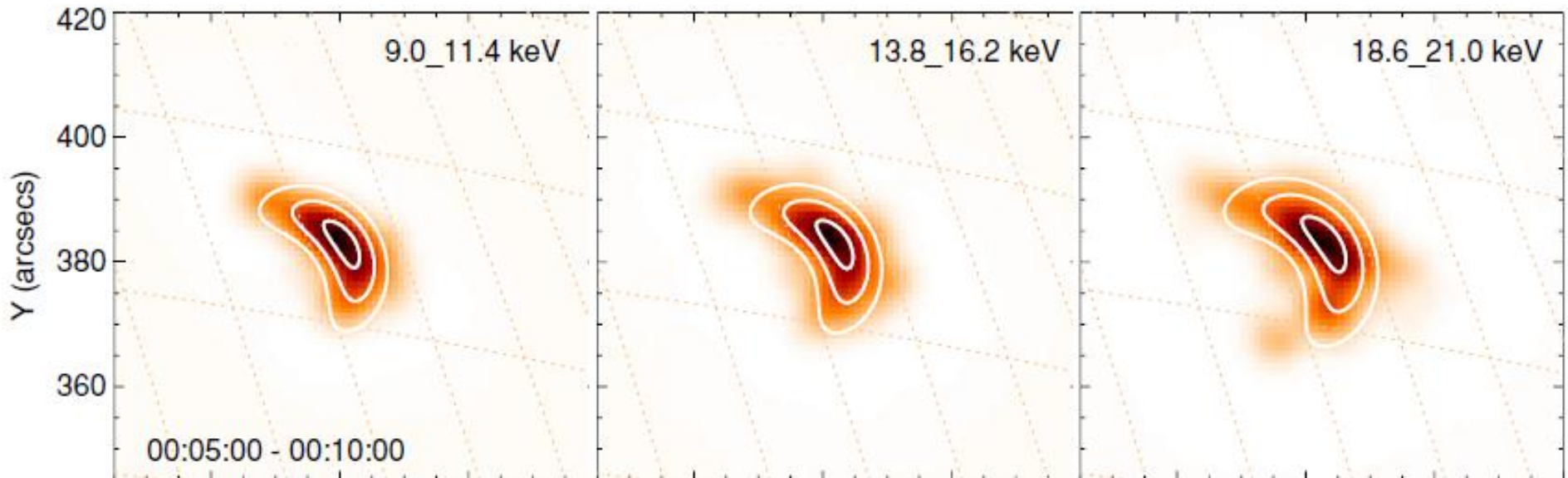
Parallel transport: collisional transport along the field lines of the loop

$$\frac{dE}{dz} = -\frac{K}{E}$$

$$K = 2\pi e^4 n \ln \Lambda$$

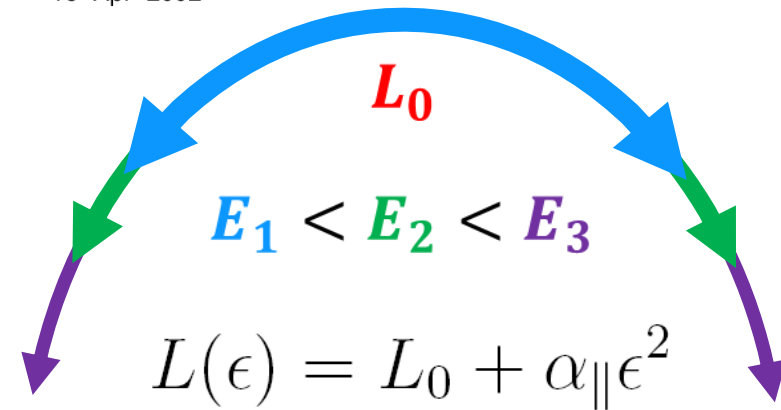
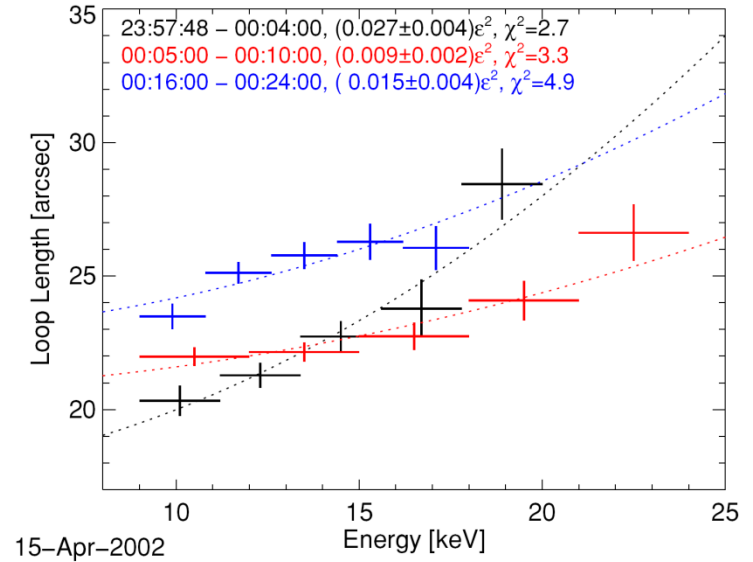
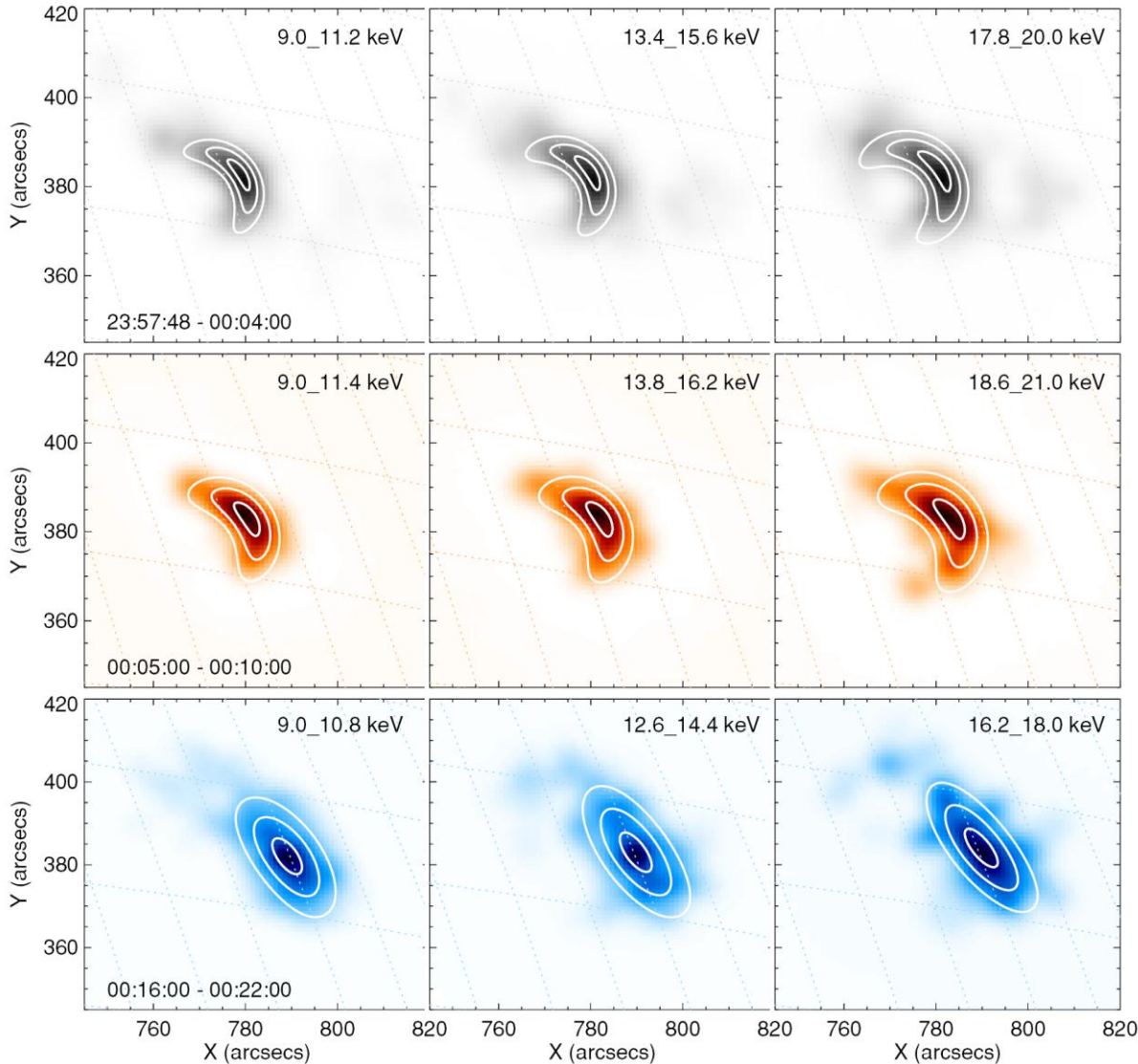


$$L(\epsilon) = L_0 + \alpha_{\parallel} \epsilon^2$$

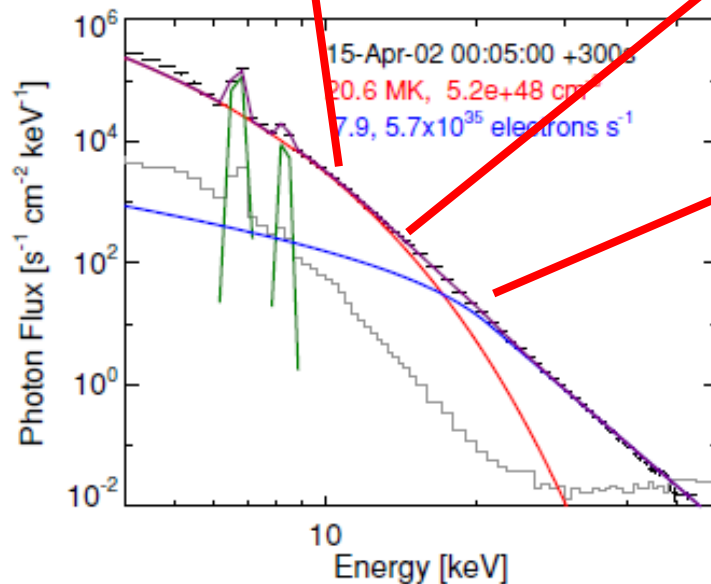
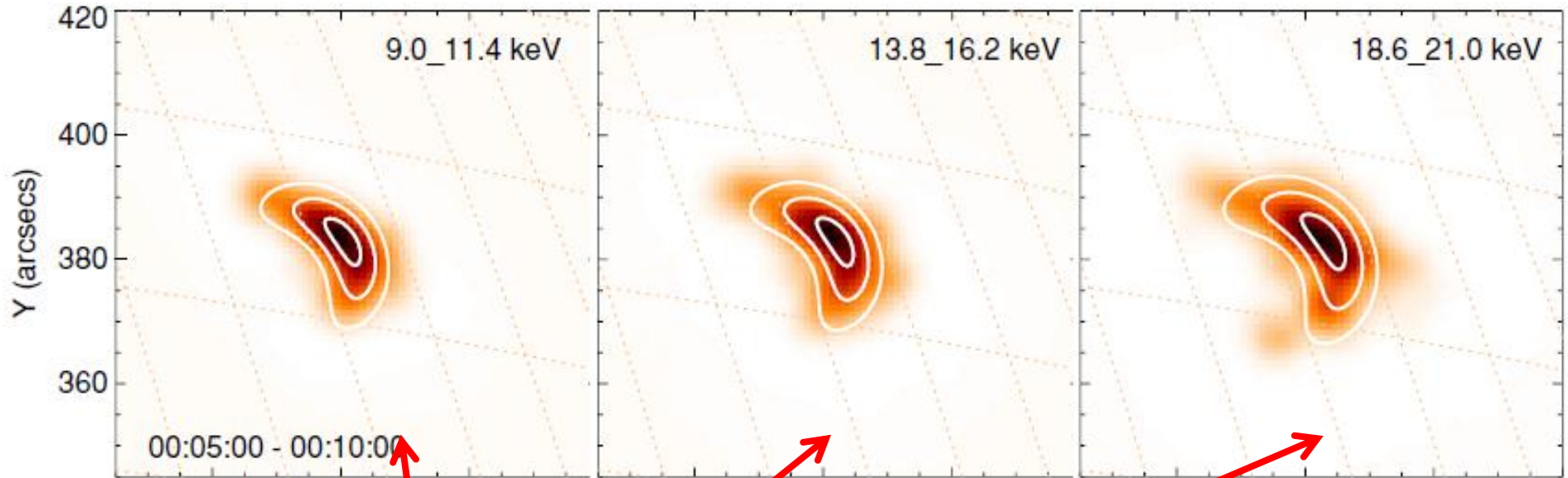




Energy release inside the loop?



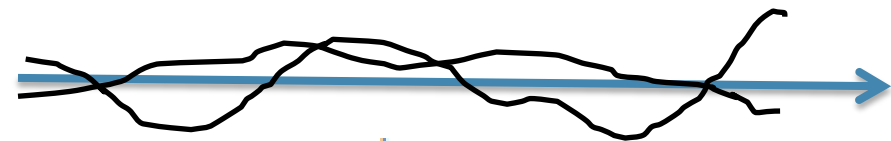
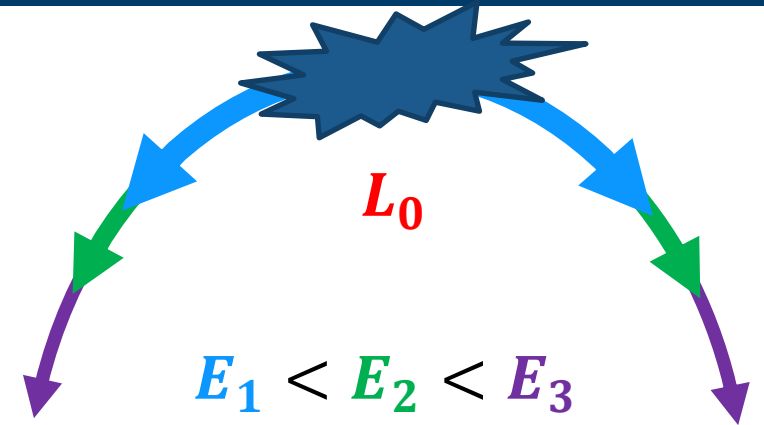
HXR flaring loops (no clear footpoints)



Loop width is also growing with energy
e.g. Kontar, Hannah and Bian 2012

Perpendicular transport: In the guiding-center approximation, the perpendicular transport of particles (for small $E \times B$ drift) is described by

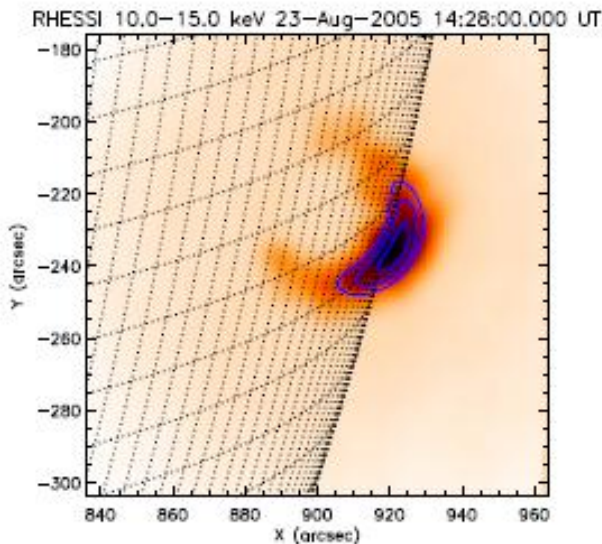
$$\frac{dr_{\perp}}{dt} = v_z \frac{B_{\perp}}{B_0}$$

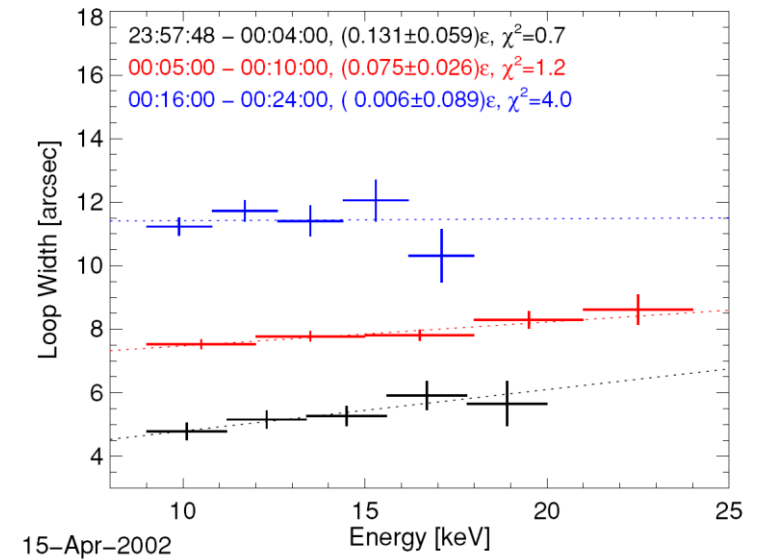
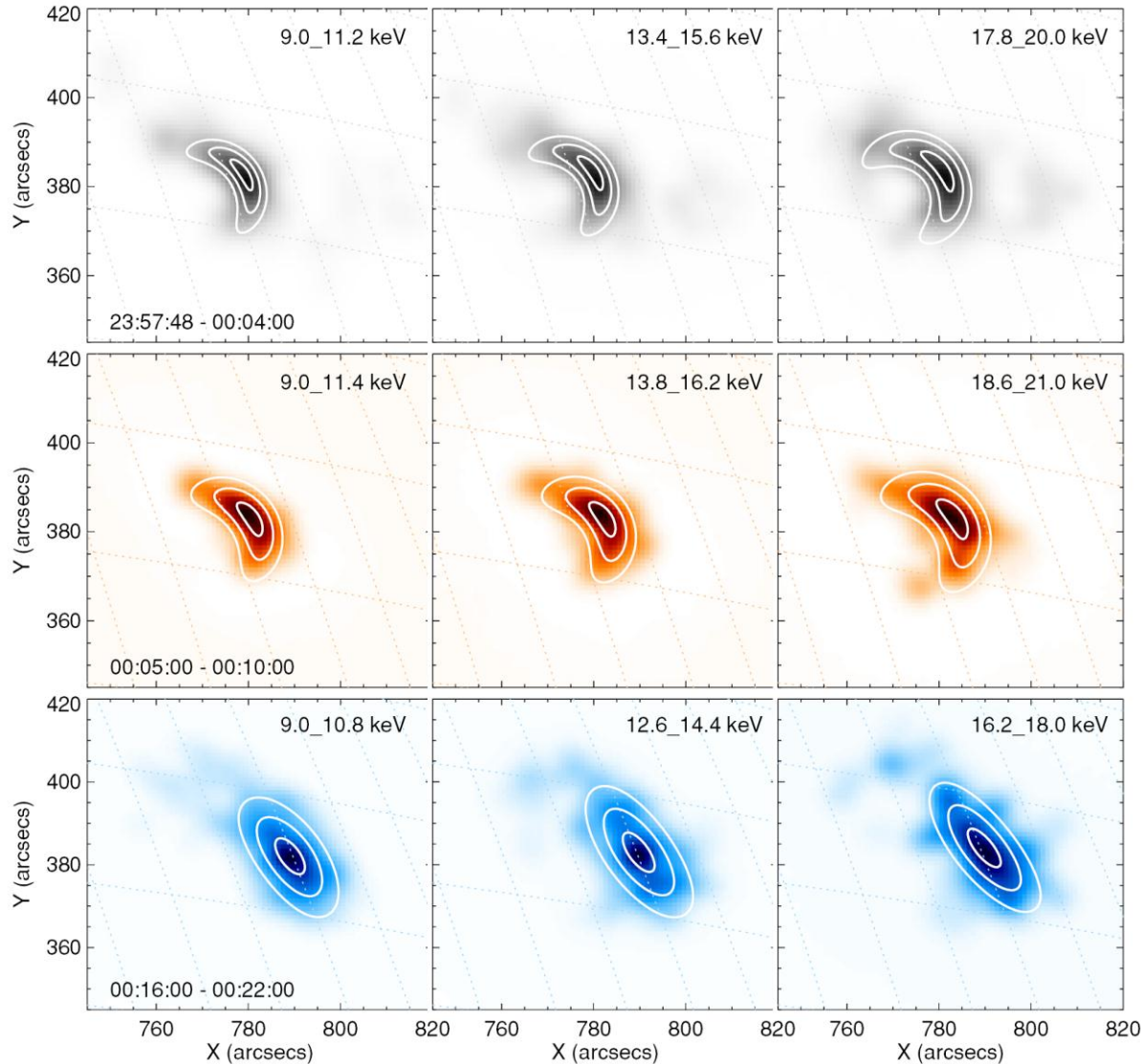


$$r_{\perp} = \sqrt{2D_M r_{\parallel}}$$

Perpendicular diffusion due to magnetic field fluctuations (wandering) (Jokipii & Parker 1969, Rochester and Rosenbluth, 1978).

$$D_M \simeq (B_{\perp}^2 / B_0^2) \lambda_{\parallel}$$





$$W(\epsilon) = W_0 + \alpha_{\perp} \epsilon$$

Loop width also grows with energy but slower

(Kontar, Hannah, Bian 2011)

$$L(\epsilon) = L_0 + \alpha_{\parallel} \epsilon^2$$

$$r_{\parallel} \simeq \epsilon^2 / 2Kn$$

=> Propagation of electrons **along the magnetic field** lines is consistent with collisional transport

$$W(\epsilon) = W_0 + \alpha_{\perp} \epsilon$$

=> Energy dependent width of the loop is consistent with **cross-field transport** due to the magnetic fluctuations

$$r_{\perp} = \sqrt{2D_M r_{\parallel}},$$

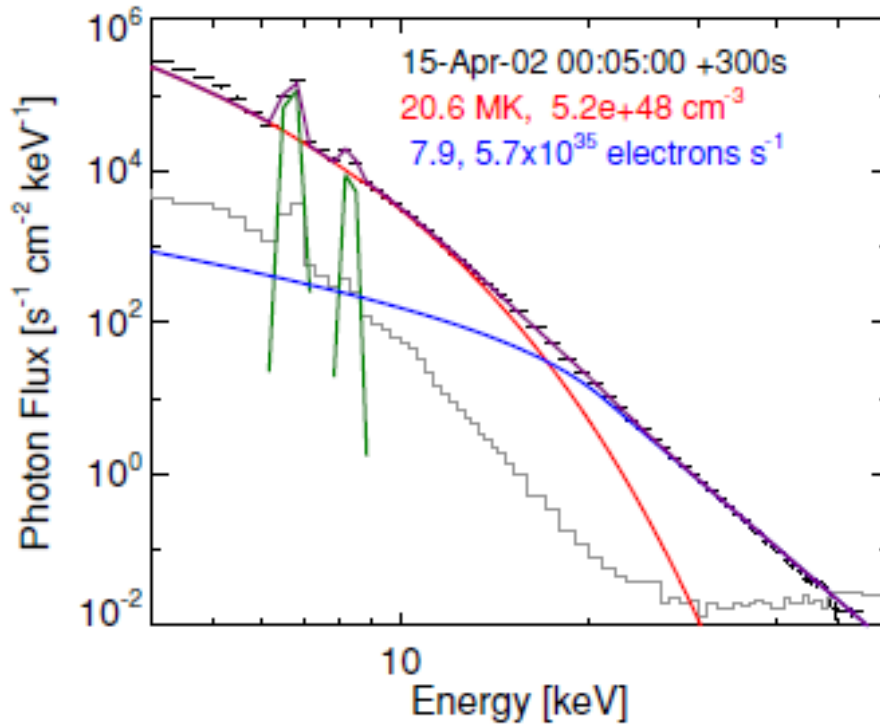
$$D_M \simeq (B_{\perp}^2 / B_0^2) \lambda_{\parallel}$$

=> Hence we estimate the **magnetic fluctuations in the flaring loop where electrons are accelerated** from the source sizes

$$D_M = \lambda_{\parallel} B_{\perp}^2 / B_0^2 = \alpha_{\perp}^2 / (2\alpha_{\parallel})$$

=> From radio observations (Bone et al, 2007), magnetic field is ~150G, the absolute values of magnetic fluctuations can be estimated.

The energy density of magnetic fluctuations in the loop is



=> From radio observations (Bone et al, 2007), magnetic field is $\sim 150\text{G}$, the absolute values of magnetic fluctuations can be estimated.

$$B_{\perp}^2 / 8\pi \simeq (B_0^2 / 8\pi) D_M / \lambda_{\parallel}$$

The energy density (for max size $2 \times 10^9 \text{ cm}$)
 $\sim 10 \text{ erg/cm}^3$

$$B_{\perp} / B_0 \sim 0.1$$

This energy is comparable to non-thermal energy of energetic electrons, but less than thermal for this lambda parallel.



If we assume that the magnetic field fluctuations are due to MHD waves, the fluctuation velocity and magnetic field fluctuations are related e.g. for linear Alfvénic modes

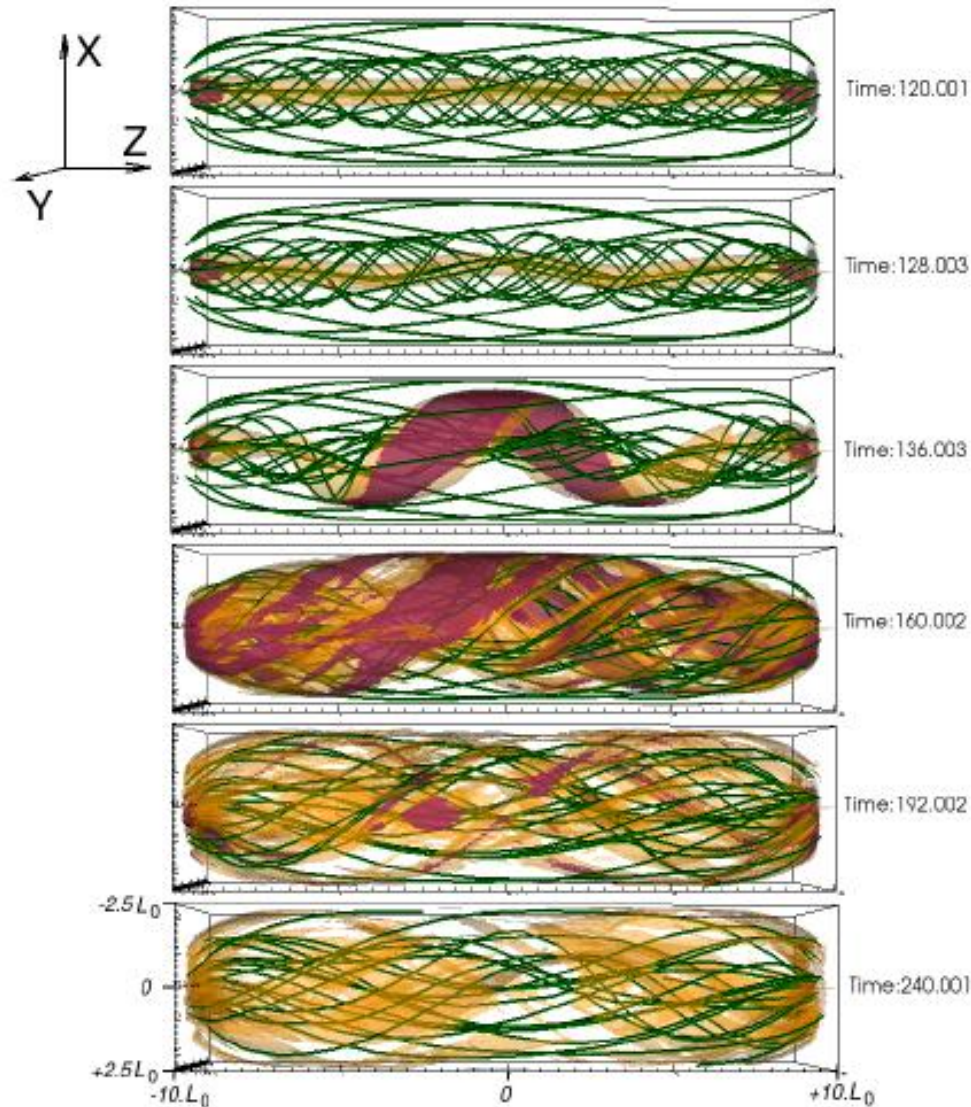
$$v \sim B_{\perp} / B_0 v_A$$

Radio measurements provide us with magnetic field and X-ray measurements with density

$$\text{for } v_A \approx 1000 \text{ km s}^{-1}$$

$$B_{\perp} / B_0 \sim 0.1$$

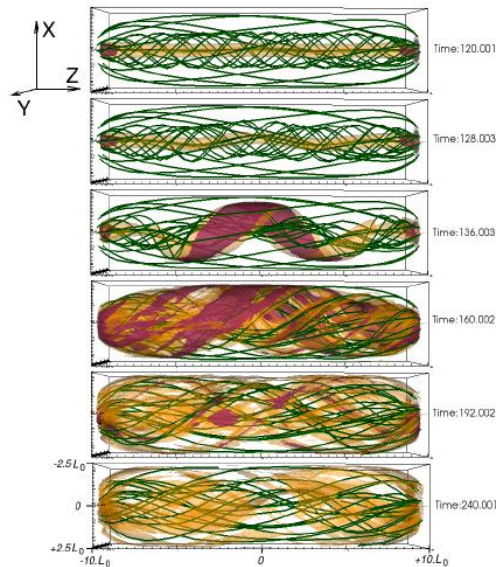
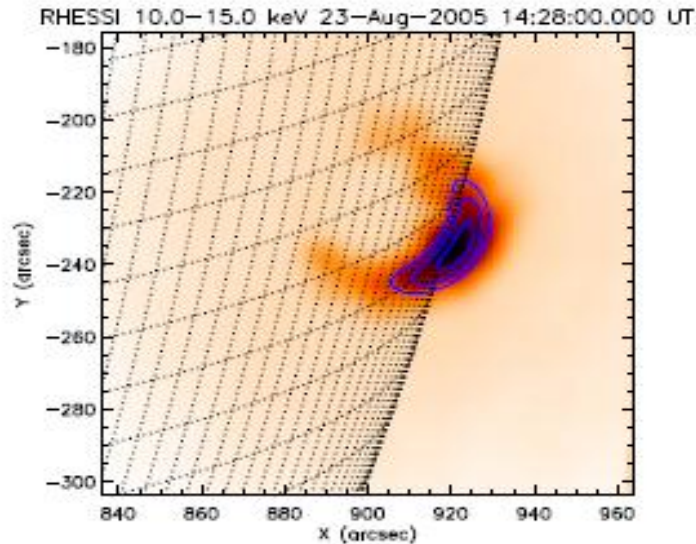
Turbulent (non-thermal velocities) velocities
 $v_{nt} \sim 100 \text{ km/s}$



Are particles accelerated within the loop?

Multiple current sheets
Vlahos et al 1998, Turkmani et al, 2005, Hood et al, 2008, Browning et al 2008, Gordovskyy et al, 2012

Plasma turbulence acceleration
Sturrock, 1966, Melrose, 1968
Miller et al 1997, Petrosian et al, 1994; Bian et al, 2012



Dense HXR loops allow to observe and spatially distinguish acceleration and transport of energetic particles.

Propagation of electrons **along the magnetic field** lines is consistent with collisional transport

Energy dependent width of the loop is consistent with **cross-field transport** due to the magnetic fluctuations and implies line-of-sight non-thermal velocities of the order of 100 km/s.

Simultaneous observations of non-thermal line widths and loop-energy width can scrutinise these models and diagnose turbulence in flaring loops.